## Idioms

Key to the types and ranks of the arguments in the idioms:

| Type | Description |
| :---: | :--- |
| C | Character |
| B | Boolean |
| N | Numeric |
| P | Nested |
| X | any type |


| Rank | Description |
| :---: | :--- |
| S | Scalar or single item vector |
| V | Vector |
| M | Matrix |
| A | Array of any rank |

The idioms described below must be entered precisely as shown to be recognised.

| Idiom | Description |
| :---: | :---: |
| poXA | The rank of XA (returned as a one-element vector) |
| \#pXA | The rank of XA (returned as a scalar) |
| BV/ヶNS | The subset of NS corresponding to the 1s in BV |
| BV/roXV | The positions in XV corresponding to the 1s in BV |
|  | The subset of $X V$ in the index positions defined by NA (equivalent to $X V[N A])$ |
| $X A_{1}\{ \} \times A_{2}$ | $X A_{1}$ and $X A_{2}$ are ignored (no result produced) |
| $X A_{1}\{\alpha\} X A_{2}$ | $X A_{1}\left(X A_{2}\right.$ is ignored) |
| $X A_{1}\{\omega\} X A_{2}$ | $X A_{2}\left(X A_{1}\right.$ is ignored) |
| $X A_{1}\{\alpha \omega\} X A_{2}$ | $X A_{1}$ and $X A_{2}$ as a two item vector ( $X A_{1} X A_{2}$ ) |
| \{0\}XA | 0 irrespective of $X A$ |
| \{0\}"XA | 0 corresponding to each item of XA |
| , /PV | The enclose of the items of PV catenated along their last axes |
| -/PV | The enclose of the items of PV catenated along their first axes |
| دфXA | The item in the top right of $\mathrm{XA}(\square \mathrm{ML}<2)$ |
| $\uparrow \phi \times A$ | The item in the top right of $\mathrm{XA}(\square \mathrm{ML} \geq 2)$ |
| эф, XA | The item in the bottom right of $\mathrm{XA}(\square \mathrm{ML}<2)$ |
| $\uparrow \phi, \mathrm{XA}$ | The item in the bottom right of $\mathrm{XA}(\square \mathrm{ML} \geq 2)$ |
| $0=\rho X V$ | 1 if $X V$ has a shape of zero, 0 otherwise |
| $0=\rho \rho X A$ | 1 if XA has a rank of zero (scalar), 0 otherwise |
| $0=\equiv X A$ | 1 if XA has a depth of zero (simple scalar), 0 otherwise |
| $X M_{1}\{(\downarrow \alpha) \imath \downarrow \omega\} \times M_{2}$ | A simple vector comprising as many items as there are rows in $X M_{2}$, where each item is the number of the first row in $X M_{1}$ that matches each row in $X M_{2}$. <br> NOTE: Although still recognised, since Dyalog v14.0 this is idiom is no more efficient than $X M_{1}$ 乙 $X M_{2}$ |
| $\downarrow$ ¢ ${ }^{\text {d }}$ | A nested vector comprising vectors that each correspond to a position in the original vectors of PV - the first vector contains the first item from each vector in PV, padded to be the same length as the largest vector, and so on ( $\square \mathrm{ML}<2$ ) |
| $\downarrow$ ¢ $\quad$ PV | A nested vector comprising vectors that each correspond to a position in the original vectors of PV - the first vector contains the first item from each vector in PV, padded to be the same length as the largest vector, and so on ( $\square \mathrm{ML} \geq 2$ ) |
| ${ }^{1} \backslash{ }^{\prime} \quad 1=C A$ | A Boolean mask indicating the leading blank spaces in each row of CA |
| +/^\' ' = CA | The number of leading blank spaces in each row of CA |
| +/^\BA | The number of leading 1s in each row of BA |
| $\{(v \backslash 1$ ' $\neq \omega) / \omega\}$ CV | CV without any leading blank spaces |


| Idiom | Description |
| :---: | :---: |
| $\left\{\left(+/ \wedge \backslash{ }^{\prime} \quad\right.\right.$ ' $=\omega$ ) $\left.\downarrow \omega\right\} \mathrm{CV}$ | CV without any leading blank spaces |
| ~○' '"ヤCA | A nested vector comprising simple character vectors constructed from the rows of CA (which must be of depth 1 ) with all blank spaces removed |
| $\left\{(+/ v \backslash '\right.$ ' $\left.\neq \phi \omega) \uparrow^{\prime \prime} \downarrow \omega\right\}$ CA | A nested vector comprising simple character vectors constructed from the rows of $C A$ (which must be of depth 1) with trailing blank spaces removed |
| دор"XA | The length of the first axis of each item in $\mathrm{XA}(\mathrm{DML}<2)$ |
| †००"XA | The length of the first axis of each item in $\mathrm{XA}(\square \mathrm{ML} \geq 2)$ |
| $X A_{1}, \leftarrow X^{\prime}$ | $X A_{1}$ redefined to be $X A_{1}$ with $X A_{2}$ catenated along its last axis |
| $X A_{1} ;<X^{\prime}$ | $X A_{1}$ redefined to be $X A_{1}$ with $X A_{2}$ catenated along its first axis |
| $\{(\subset \pm \omega) \square \omega\}$ XA | $X A$ with the major cells sorted into numerical/alphabetical order |
| $\{(c \downarrow \omega) \square \omega\}$ X | XA with the major cells sorted into reverse numerical/alphabetical order |
| \{ $\omega[4 \omega]\} \times V$ | XV sorted into numerical/alphabetical order |
| $\{\omega[\downarrow \omega]\} \times V$ | XV sorted into reverse numerica//alphabetical order |
| \{ $\omega$ [ $4 \omega ;]\} \times \mathrm{M}$ | XM with the rows sorted into numerica//alphabetical order |
| \{ $\omega$ [ $\dagger \omega ;]\} \times M$ | XM with the rows sorted into reverse numerical/alphabetical order |
| $1=\equiv \mathrm{XA}$ | 1 if XA has a depth of 1 (simple array), 0 otherwise |
| $1=\equiv, \mathrm{XA}$ | 1 if XA has a depth of 0 or 1 (simple scalar, vector, etc.), 0 otherwise |
| $0 \in \rho \times$ A | 1 if XA is empty, 0 otherwise |
| $\sim 0 \in \mathrm{pXA}$ | 1 if XA is not empty, 0 otherwise |
| $\rightarrow+$ XA | The first sub-array along the first axis of XA |
| -/XA | The first sub-array along the last axis of XA |
| $1+$ X ${ }^{\text {r }}$ | The last sub-array along the first axis of XA |
| -/XA | The last sub-array along the last axis of XA |
| *ONA | Euler's idiom (accurate when NA is a multiple of OJO.5) |
| $0=$ pXA | 1 if XA has an empty first dimension, 0 otherwise ( $\square \mathrm{ML}<2$ ) |
| $0 \neq \bigcirc$ XA | 1 if XA does not have an empty first dimension, 0 otherwise ( ( ML <2) |
| L0.5+NA | The content of NA with each item rounded to the nearest integer |
| XA $\downarrow$ ̈̈+NS | XA redefined to be XA with the last -NS items along the leading axis removed; NS should be negative |
| Davica | Classic edition only: The character numbers (atomic vector index) corresponding to the characters in CA |

